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| Subject code | ECTS credits |
| MAT1003 | 6 |

Course title in Lithuanian

GEOMETRIJA

Course title in English

GEOMETRY

Short course annotation in Lithuanian (up to 500 characters)

Igyjamos esminės vektorinės algebros ir analizinės geometrijos žinios, susipažįstama vektoriaus sąvoka, tiesiniai veiksmai su vektoriais, tiesinė vektorių priklausomybė plokštumoje ir erdvėje, baze plokštumoje ir erdvėje, stačiakampe baze, skaliarine sandauga, vektorine sandauga, trijų vektorių sandauga; plokštumos lygtimi; tiesės lygtimi erdvėje, tiesė plokštumoje, antros eilės kreivėmis (apskritimu, elipse, hiperbole, parabolė), kūginiais, cilindriniais ir sukimosi paviršiais.

Short course annotation in English (up to 500 characters)

Acquired fundamental knowledge of basic concepts of vector algebra and analytical geometry: vectors; operations with vectors; linear dependence of vectors in plane and space; basis in plane and space; scalar product; vector product; parallelepipedal product; equation of a plane; equation of a line in space; equation of a line in plane; circle; ellipse; hyperbola; parabola; cone; cylinder; tangent plane and normal of the curve.

Prerequisites for entering the course

High school mathematics knowledge.

Course aim

Course aim is to provide knowledge of basic concepts of geometry.

Links between course outcomes, criteria of learning achievement evaluation, study methods and methods of learning achievement assessment

| No | Course outcomes | Criteria of learning achievement evaluation | Study methods | Methods of learning achievement assessment |
|----|--|---|--|---|
| 1 | Provide knowledge on vectors, operation with vectors. | Student demonstrates the ability to solve a given task with vectors. | Lectures, practical works, individual work, consulting | Mid-term exam, assessment of practical work |
| 2 | Knowledge and understanding of planes. | Student demonstrates the ability to solve a given task with plane(s). | Lectures, practical works, individual work, consulting | Mid-term exam, assessment of practical work |
| 3 | Knowledge and understanding of lines in R^2 and R^3 . | Student demonstrates the ability to solve a given task with line(s). | Lectures, practical works, individual work, consulting | Mid-term exam, assessment of practical work |
| 4 | Provide knowledge on the second degree curves and surfaces in R^2 and R^3 (its properties, separate cases and application in practical tasks). | Student knows definitions and equations of second degree curves and surfaces and is able to solve given task. | Lectures, practical works, individual work, consulting | Final exam, assessment of practical work |
| 5 | Knowledge and understanding of transformations of coordinates. | Student demonstrates knowledge on basic theory of transformations of coordinates, and is able to simplify a given | Lectures, practical works, individual | Final exam, assessment of practical work |

| No | Course outcomes | Criteria of learning achievement evaluation | Study methods | Methods of learning achievement assessment |
|----|-----------------|--|------------------|--|
| | | equation of particular second degree curves in R^2 . | work, consulting | |

Links between study programme outcomes and course outcomes

| Study programme outcomes | Running number of course outcome | | | | |
|---|----------------------------------|---|---|---|---|
| | 1 | 2 | 3 | 4 | 5 |
| Know and comprehend concepts and propositions of fundamental mathematical subjects, recognize and apply them solving practical/theoretical tasks | + | + | + | + | + |
| Identify the problem, collect and analyze real/theoretical data using various mathematical methods, tools and IT technologies | + | + | + | + | + |
| Operating with formal mathematical symbols and terms, determine mathematical connections between various mathematical quantities; conceive mathematical propositions and logical proofs, construct and prove new statements | + | + | + | + | + |
| Think logically and analytically, evaluate alternative ways of task solving and implement optimal solutions | + | + | + | | |

Content

| No | Content (topics) |
|-----|--|
| 1. | Vectors, linear operations with vectors. |
| 2. | Linear dependence of vectors in plane and space. Basis in plane and space. Orthogonal basis. |
| 3. | Coordinates of vectors. Magnitude of a vector. |
| 4. | Products: scalar product, vector (cross) product and parallelepipedal product. |
| 5. | Planes (general form of the plane equation; plane equation from three points). Angle between two planes. Distance of the nearest point on a plane to a point. Intersection of planes. Sheaf of planes. |
| 6. | Lines in R^3 (general form of the line equation; plane equation from two points). Angle between two lines. Angle between line and a plane. Distance of the nearest point on a line to a point. Intersection of line and plane. Sheaf of lines. |
| 7. | Lines in R^2 . |
| 8. | Second degree curves (circle, ellipse, hyperbola and parabola). |
| 9. | Normal line and tangent line of the second degree curves. |
| 10. | Transformations of coordinates. |
| 11. | Surfaces: cone, cylinder, surface of revolution, ellipsoid, hyperboloid, paraboloid, etc. |
| 12. | Coordinate systems: Cartesian coordinates in R^2 , Cartesian coordinates in R^3 , polar coordinates, cylindrical coordinates, spherical coordinates. |

Distribution of workload for students (contact and independent work hours)

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|--------------------------|------------------|
| Lectures | 45 hours |
| Practical work | 30 hours |
| Individual students work | 85 hours |
| Total: | 160 hours |

Structure of cumulative score and value of its constituent parts

Final written exam (50%), mid-term written exam (25%), assessment of two practical works (25%).

Recommended reference materials

| No | Publication year | Authors of publication and title | Publishing house | Number of copies in | | |
|----|------------------|----------------------------------|------------------|---------------------|------------------|-----------------|
| | | | | University library | Self study rooms | Other libraries |

| <i>Basic materials</i> | | | | | | |
|--------------------------------|------|--|-----------------------------|----|---|--|
| 1 | 2004 | Baškienė A. Analizinė geometrija. (Analytical Geometry) | Šiauliai: ŠU leidykla | 1 | 1 | |
| 2 | 2004 | Pekarskas V. Tiesinės algebros ir analizinės geometrijos elementai. (Linear Algebra and Analytical Geometry Elements) | Kaunas: Technologi ja | 10 | 2 | |
| <i>Supplementary materials</i> | | | | | | |
| 1 | 2000 | Vaškas P. Analizinė geometri- ja. (Analytical Geometry) | Vilnius, VU | | | |
| 2 | 2003 | Baškienė A. Analizinės geometrijos uždaviniai. (Tasks of analytical Geometry) | Šiauliai: ŠU | | | |

Course programme designed by

Assoc. prof. dr. Inga Žutautaitė